

A Perennial Snowfield Melt Model

Synthesis of Climate, Field, and Remotely Sensed Data from the Brooks Range, Alaska



Molly E Tedesche, PhD

Snow Hydrology Postdoctoral Research Fellow

US Army Corps Engineer Research and Development Center

Cold Regions Research and Engineering Laboratory (ERDC – CRREL)

Coastal and Hydraulics Laboratory (ERDC – CHL)

Affiliate Research Professor

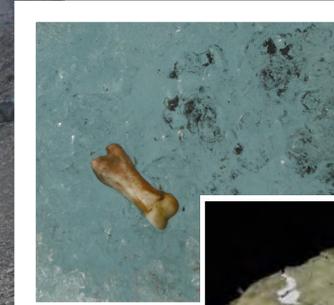
University of Alaska Fairbanks



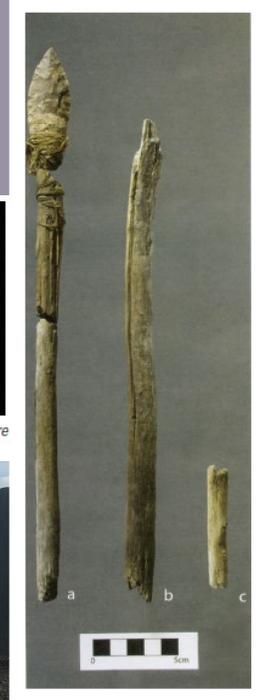
Brooks Range Perennial Snowfields

Why are perennial snowfields so important?

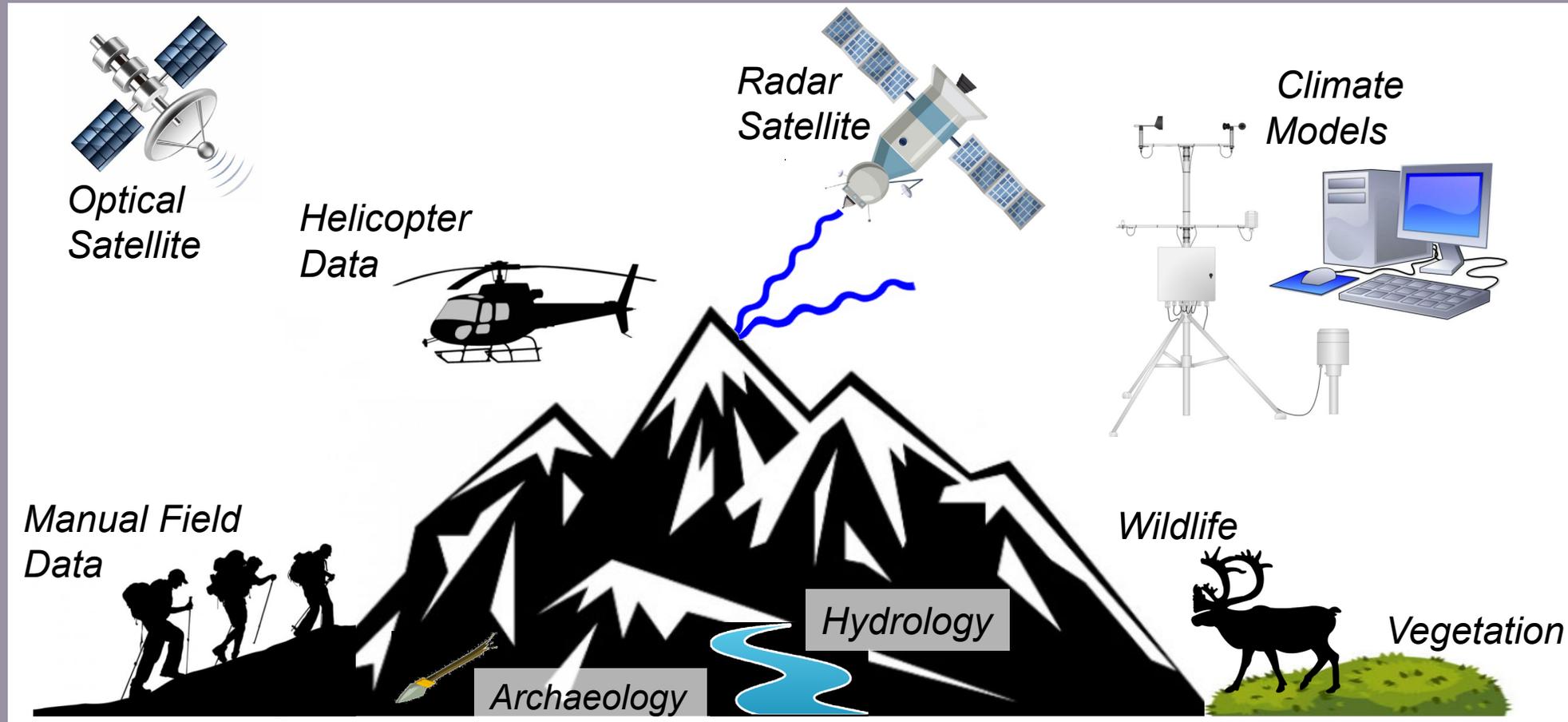
- Moisture for downslope vegetation
- Ecosystems for birds & mammals; caribou
- Subsistence hunting & access to food sources
- Archaeology & paleoecology
- Artifacts support cultural identity of Arctic people



Hundreds of hours of careful work were needed to restore the 1400-year-old moccasin to its present shape.



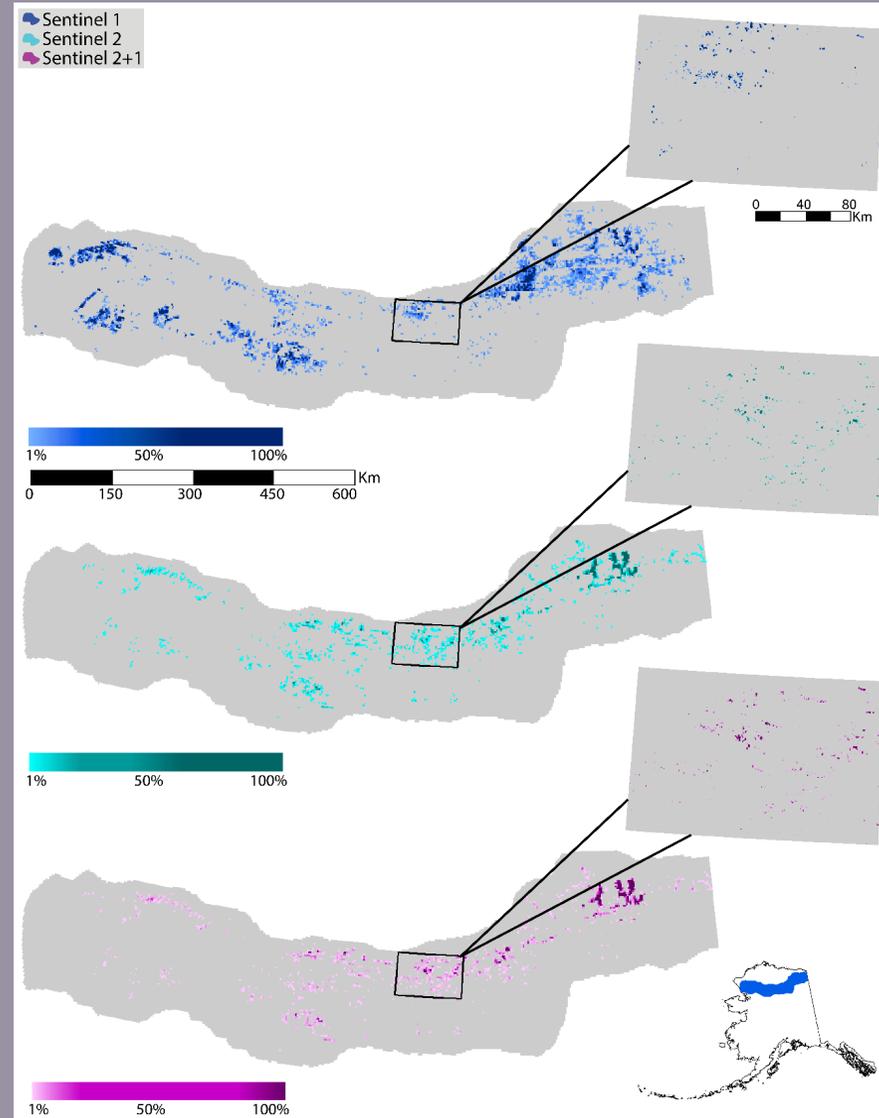
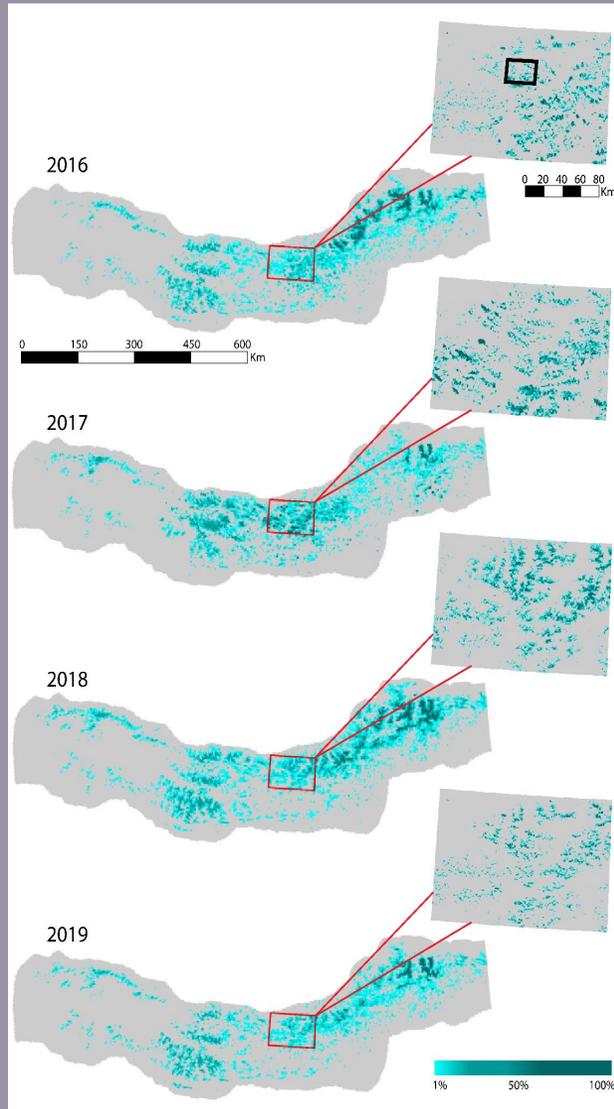
Climate, Field, and Remotely Sensed Data Synthesis



Annual Variability

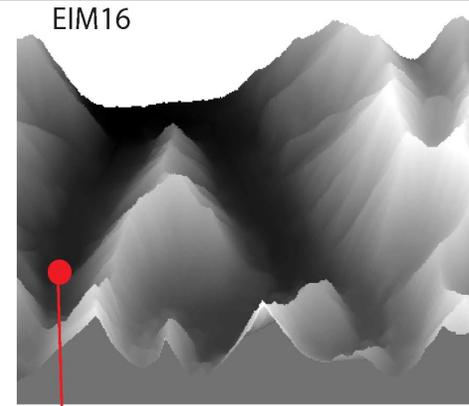
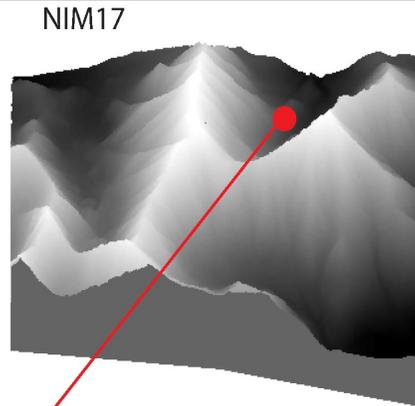
Perennial Areas

**NDSI
Sentinel-2
Optical
Imagery**



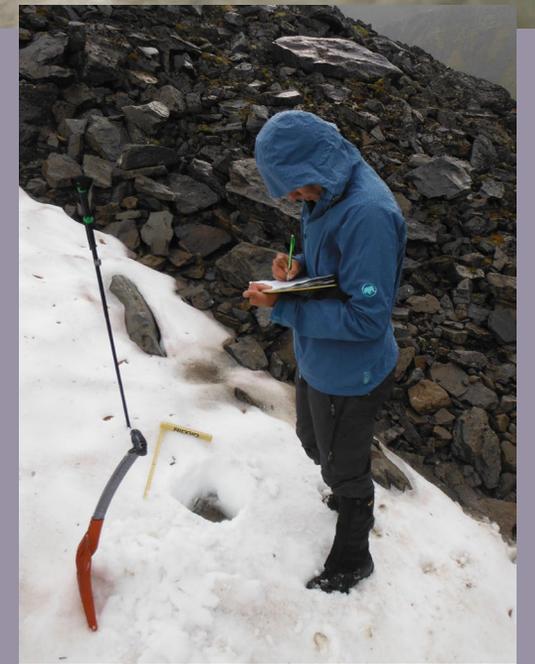
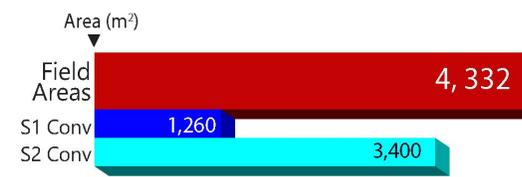
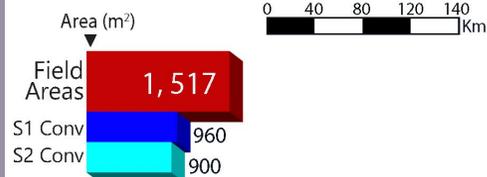
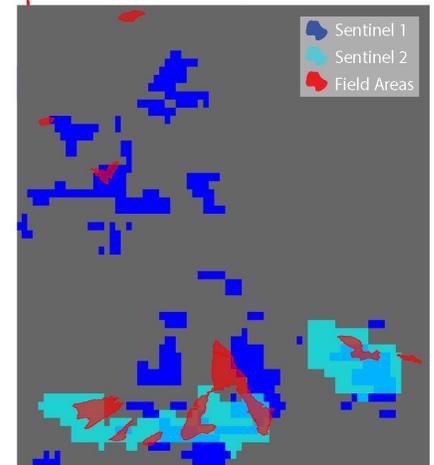
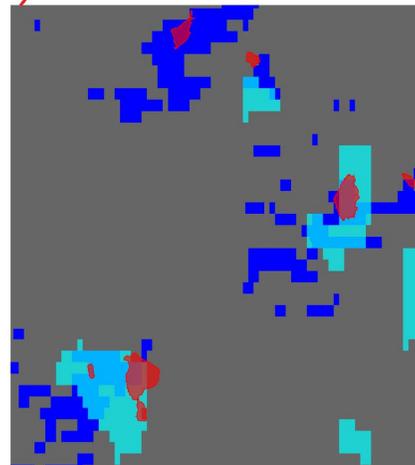
**Backscatter
Change
Detection
Sentinel-1
SAR**

Field Evaluation



NIM17 Local Study Area = 19 km²

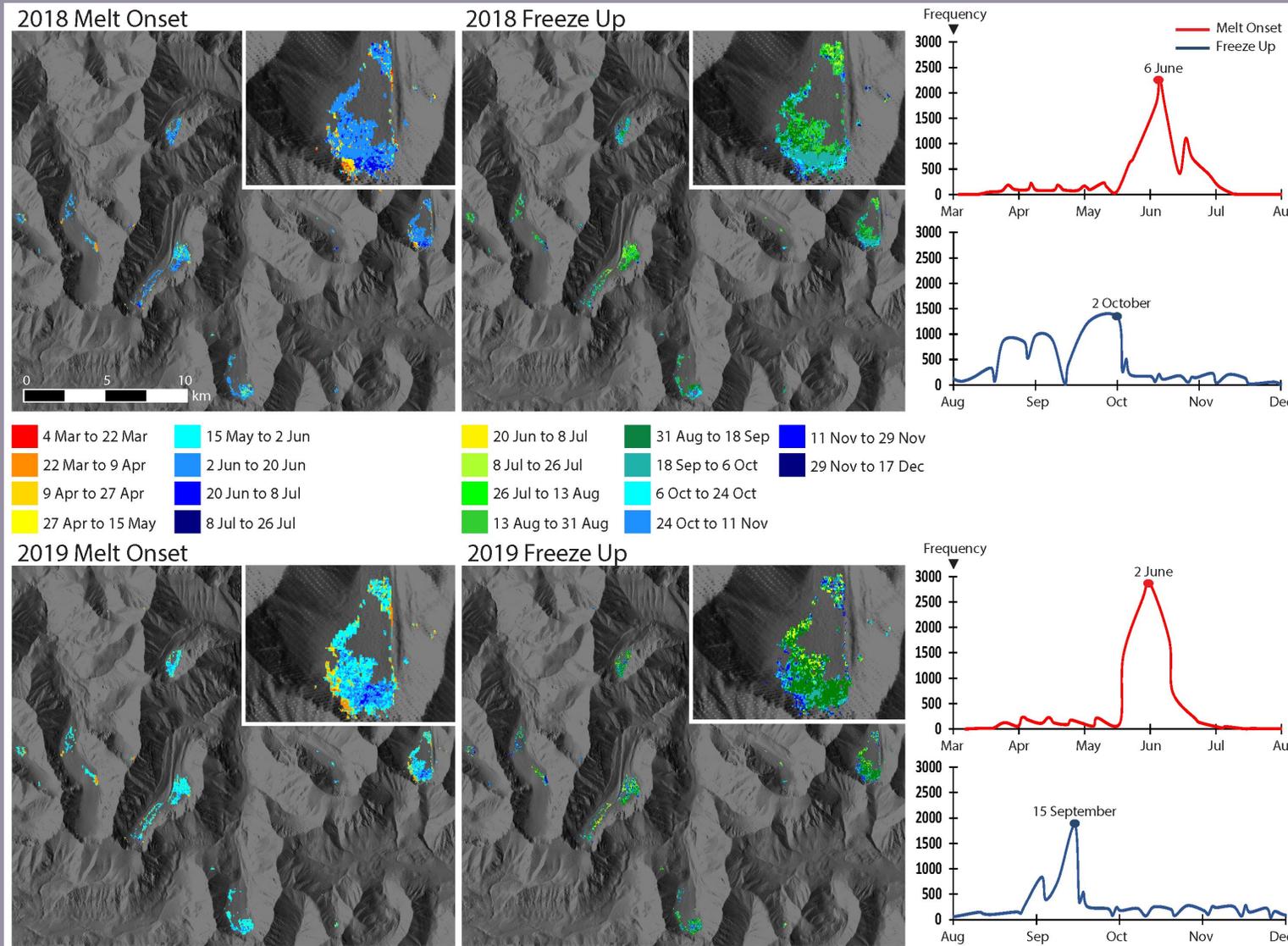
EIM16 Local Study Area = 24 km²



Melt Onset & Freeze-up Dates

**Onset =
backscatter
3 to 4 dB
below
winter mean**

**Freeze-up =
backscatter
2 dB or
less below
winter mean**

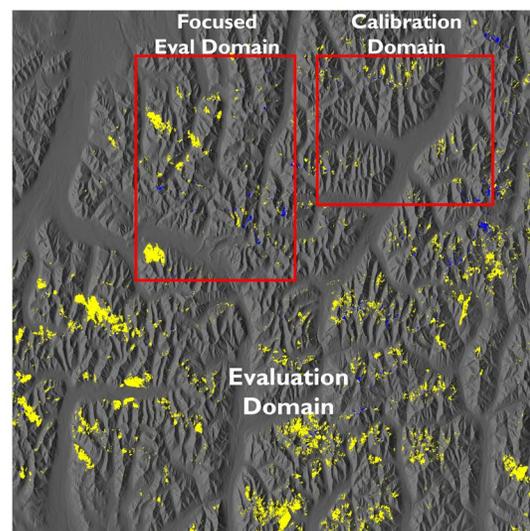


Perennial Snowfield Melt Model

-  Observed Persistence 2017-2018
-  Observed Melt 2017-2018
-  Modeled Melt 2017-2018

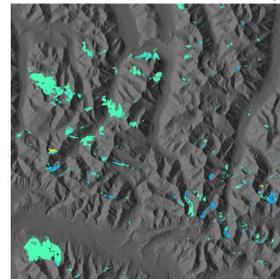
2017 - 2018

-  Observed Persistence
-  Observed Melt
-  Modeled Melt

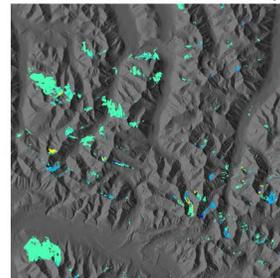


Melt Area (km ²)	Observed	198
50% Model	218	
60% Model	216	
70% Model	206	

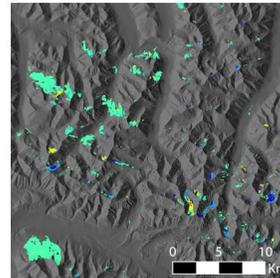
50% - 100% Melt Probability



60% - 100% Melt Probability



70% - 100% Melt Probability



Melt Area (km ²)	Observed	22.5
50% Model	26.8	
60% Model	26.1	
70% Model	23.4	

$$\text{Melt} = (T_d - T_0) + (R \cdot \text{Cos } \theta \cdot C)$$

T_d = daily temperature

T_0 = temperature when melt starts

R = net solar radiation

θ = terrain and solar angles

C = cloud cover

$$\text{Probability} = 1 / (1 + e^{-b_0 + b_1 X_1})$$

b_0 = y intercept

b_1 = regression line slope

X_1 = temperature, radiation, clouds

I acknowledge that my work was done on the ancestral hunting grounds of the Nunamiut Iñupiaq people. I'm thankful for their centuries of stewardship of these lands.



I'm also grateful to the people of Anaktuvuk Pass for their kindness, hospitality, and interest in my research.

metedesche@alaska.edu

Molly.E.Tedesche@erdc.dren.mil