

How neutral is quasi-neutral: Charge Density in the Reconnection Diffusion Region Observed by MMS

Matthew Argall¹, Jason Shuster², Ivan Dors¹, Kevin Genestreti³, Takuma Nakamura⁴, Roy Torbert¹, James Webster⁵, Narges Ahmadi⁶, Robert Ergun⁶, Robert Strangeway⁷, Barbara Giles², and James Burch³

¹University of New Hampshire

²NASA Goddard Space Flight Center

³Southwest Research Institute

⁴Austrian Academy of Sciences

⁵Rice University

⁶University of Colorado, Boulder

⁷University of California, Los Angeles

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Abstract

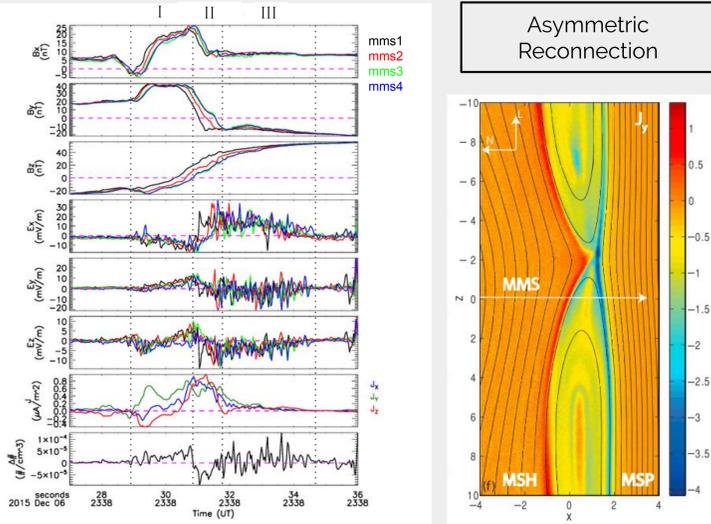
Magnetic reconnection is responsible for the major reconfigurations of the magnetosphere that lead to energy transport and deposition into the ionosphere. The fast rate at which magnetic energy is converted to plasma kinetic energy is likely enabled by the polarization Hall electric field that results from the separation of ions and electrons at small scales. Signatures of Hall fields have played a key role in identifying and studying reconnection, but the density of accumulated charge has not been quantified. We use the 4-point measurements of the Magnetospheric Multiscale mission to compute the divergence of the electric field and present the first observations of charge density in the diffusion region of magnetic reconnection. We show how it ties into the Hall system, discuss measurement uncertainties, analyze quality estimates, and make comparisons to 2D simulations. Charge density is briefly presented for other phenomena, and ranges from 2% or less of the background plasma density for magnetic reconnection and electron-scale magnetic holes and peaks to upwards of 4% for electron phase space holes.

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Matthew R. Argall¹ (matthew.argall@unh.edu), J. Shuster², I. Dors¹, K. J. Genestreti³, T. K. M. Nakamura⁴, R.B. Torbert^{1,3}, J. M. Webster⁵, N. Ahmadi⁶, R.E. Ergun⁶, R. J. Strangeway⁷, B. L. Giles⁸, J. L. Burch³

¹University of New Hampshire, Durham, NH, USA; ²University of Maryland, College Park, MD; ³EOS Southwest Research Institute, Durham, NH; ⁴Space Research Institute, Austrian Academy of Sciences, Graz, Austria; ⁵Rice University, Houston, TX; ⁶Laboratory of Atmospheric and Space Physics, Boulder, CO, USA; ⁷University of California, Los Angeles, Los Angeles, CA, USA; ⁸Goddard Space Flight Center, Greenbelt, MD, USA; ⁹Southwest Research Institute, San Antonio, TX, USA

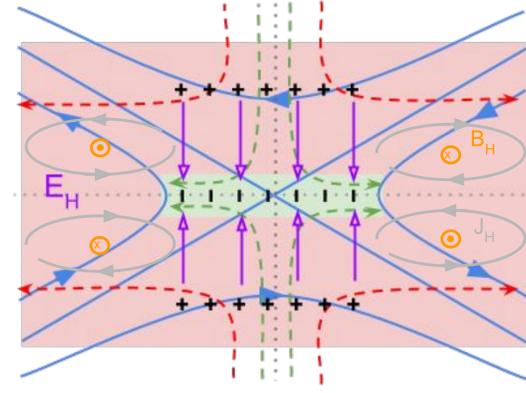
Charge Density in Other Contexts



Asymmetric Reconnection

- Regions I, II, & III are the same as the symmetric case
- Hall fields and currents detected
- Ratio of charge density to background density is $10^{-3}\%$

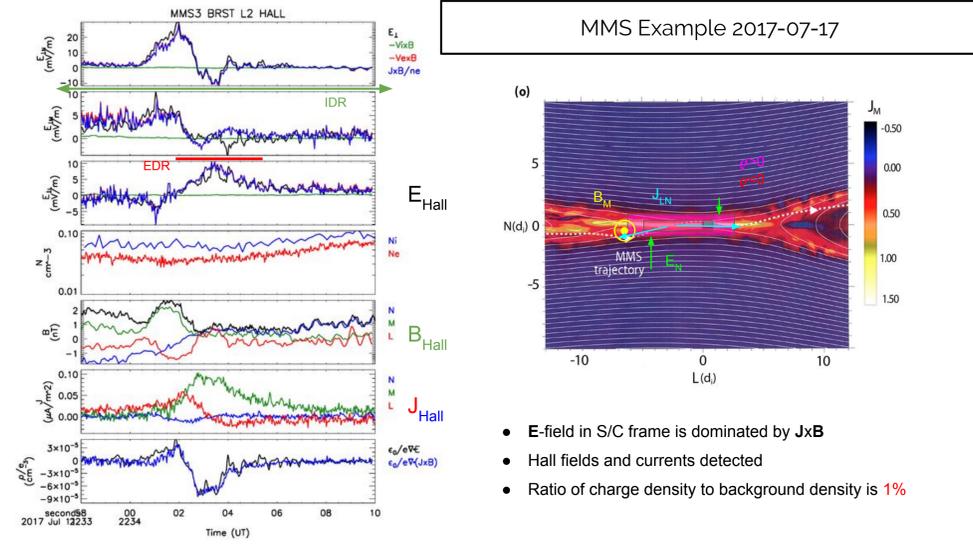
Charge Density in the Symmetric Reconnection Diffusion Region



Charge density and the Hall system

- Inflow:** Ions and electrons ExB drift inward
- IDR:** B curvature radius < ion gyroradius: $R_C < r_{ion}$
- EDR:** $R_C < r_e$
- Charge Density:** Separation of IDR & EDR
- Outflow:** Plasma is energized and diverted
- Hall J:** Created by ion and electron outflow
- Hall B:** Formed from Hall currents
- Hall E:** Due to charge separation

MMS Example 2017-07-17



- E-field in S/C frame is dominated by $J \times B$
- Hall fields and currents detected
- Ratio of charge density to background density is 1%

Error Analysis and Implications

Expected Errors

General Error Formula

$$\sigma_{f(x_1, x_2, \dots)}^2 = \left(\frac{\partial f}{\partial x_1} \sigma_{x_1} \right)^2 + \left(\frac{\partial f}{\partial x_2} \sigma_{x_2} \right)^2 + \dots$$

Variance of $\nabla \cdot E$, $\nabla \times E$, $-\partial B / \partial t$: gradient approximated as average of unique s/c-to-s/c differences

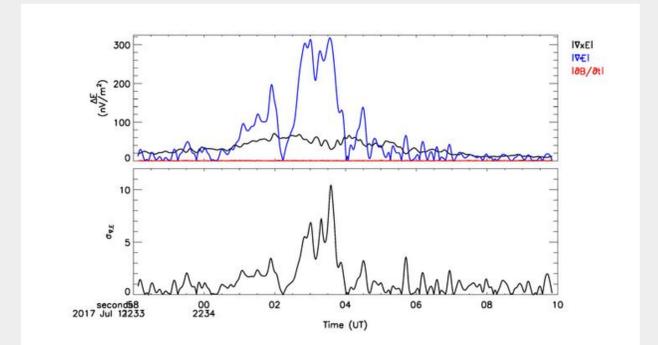
$$\sigma_{\rho/e} = \frac{\epsilon_0 \sqrt{2} 0.5 \text{ mV/m}}{e 15 \text{ km}} = 2.6 \times 10^{-6} \text{ cm}^{-3} \left\{ \begin{array}{l} \ll 1.0 \times 10^{-4} \text{ cm}^{-3} \\ = 46 \text{ nV/m}^2 \end{array} \right.$$

$$\sigma_{(\nabla \times E)_1} = \sqrt{\frac{4}{3}} \frac{0.5 \text{ mV/m}}{15 \text{ km}} = 3.8 \times 10^{-8} \text{ V/m} = 38 \text{ nT/s}$$

$$\sigma_B = \sqrt{2} \frac{0.05 \text{ nT}}{0.008 \text{ s}} \approx 9 \text{ nT/s}$$

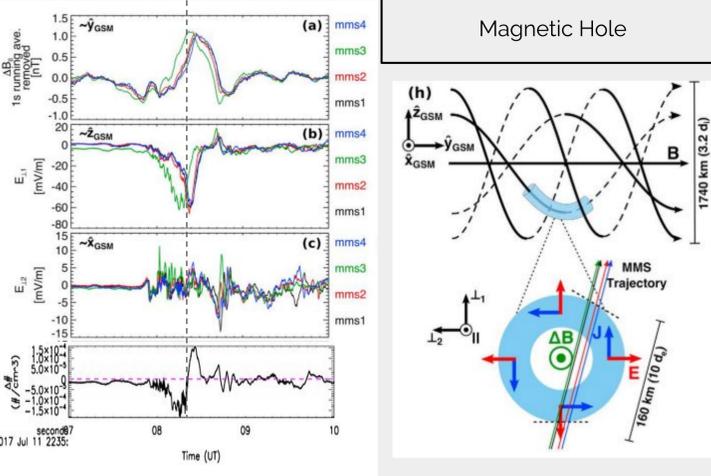
E is sampled 64x faster than B so averaging reduces the error by 8.

Quality Estimate



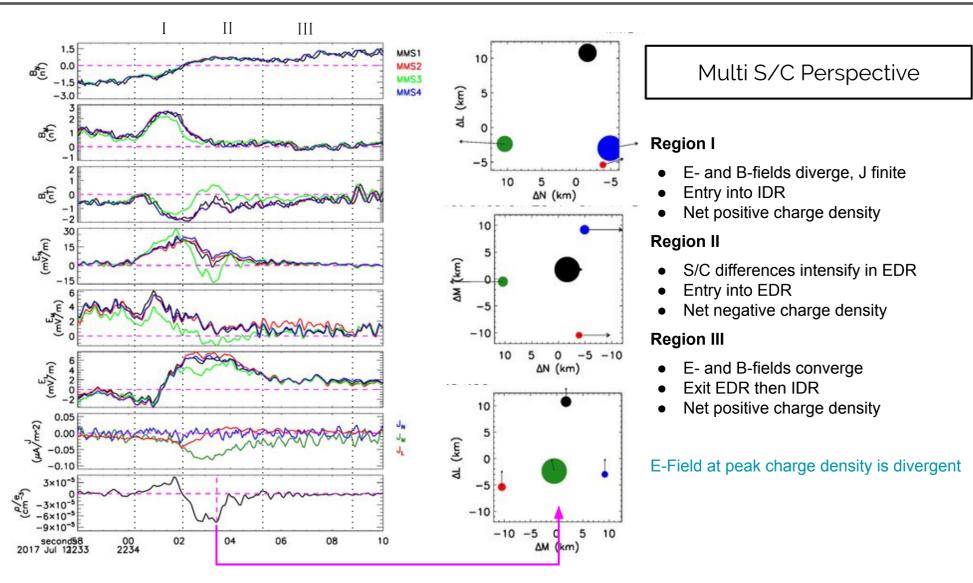
$$\frac{|\nabla \times B|}{|\nabla \cdot B|} \xrightarrow{\text{à la Curlometer Technique}} \frac{|\nabla \cdot E|}{|\nabla \times E - \partial B / \partial t|}$$

Magnetic Hole



- $\rho < 0$ until all S/C are within the hole
- $\rho > 0$ inside the hole
- Suggests an electron sheath in vortex region
- Ratio of charge density to background density is 0.25%

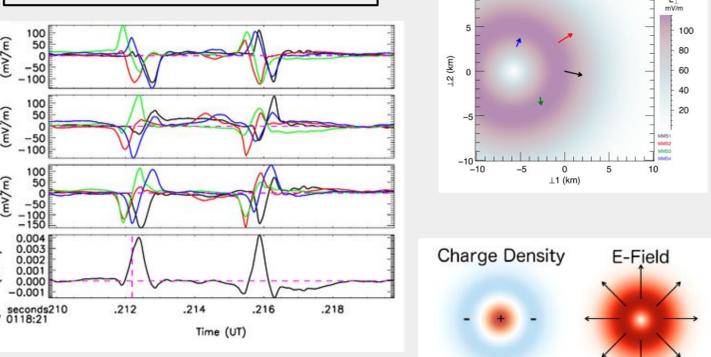
Multi S/C Perspective



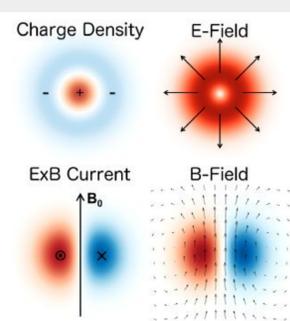
- Region I**
 - E- and B-fields diverge, J finite
 - Entry into IDR
 - Net positive charge density
- Region II**
 - S/C differences intensify in EDR
 - Entry into EDR
 - Net negative charge density
- Region III**
 - E- and B-fields converge
 - Exit EDR then IDR
 - Net positive charge density

E-Field at peak charge density is divergent

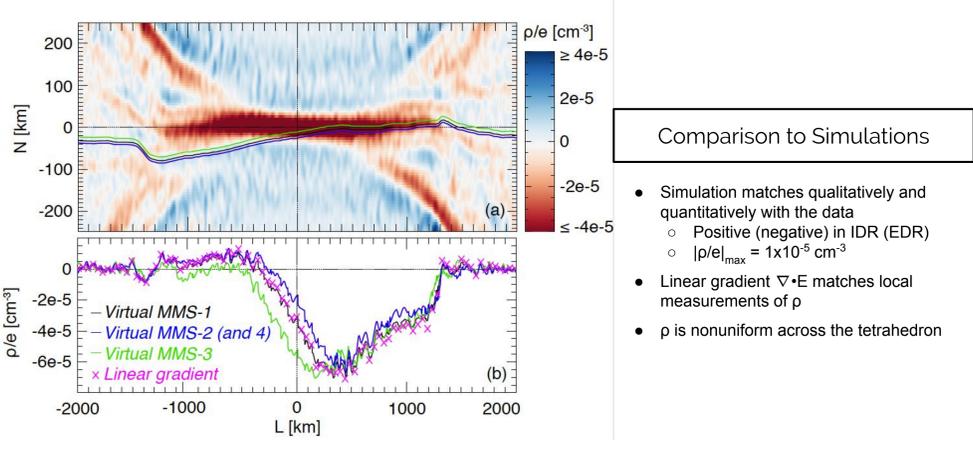
Electron Phase-Space Hole



- In-situ* observations match theory
 - $\rho < 0$ at edges of hole
 - $\rho > 0$ inside the hole
- Ratio of charge density to background density is 4%



Comparison to Simulations



- Simulation matches qualitatively and quantitatively with the data
 - Positive (negative) in IDR (EDR)
 - $|\rho/e|_{\text{max}} = 1 \times 10^{-5} \text{ cm}^{-3}$
- Linear gradient $\nabla \cdot E$ matches local measurements of ρ
- ρ is nonuniform across the tetrahedron

Implications

- Steady-State Reconnection**
 - $\partial B / \partial t = \nabla \times E = 0$
 - 0-th order diffusion region can be expressed as a scalar potential
 - $E = -\nabla V$
- Wave Generation**
 - Quasi-neutrality assumptions simplify wave generation mechanisms
 - Could serve as an additional means of carrying charge away from EDR

Summary

- $\rho \neq 0$ in the diffusion region
- ρ is supported by the Hall system
- Qualitative and quantitative agreement with simulations
- ρ/N varies by context
 - Symmetric reconnection: 1%
 - Asymmetric Reconnection $10^{-3}\%$
 - Magnetic Hole: 0.25%
 - Phase-Space Hole: 4%
- Electron plasma and ion acoustic waves
 - Both affected by charge imbalance
 - Both have been observed during reconnection

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